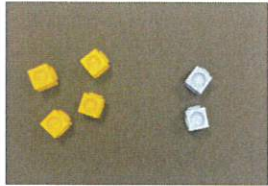
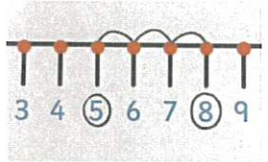
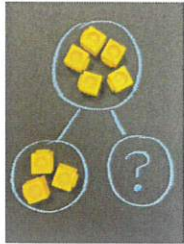
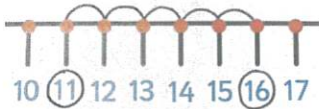
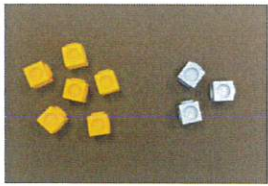
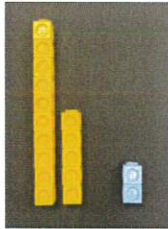
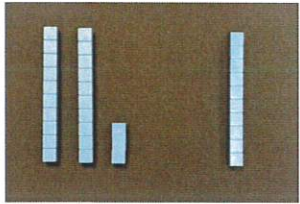


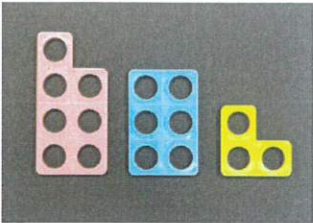
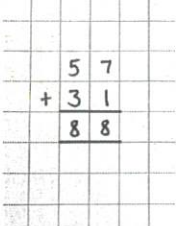
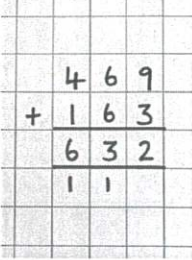
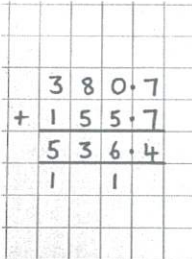
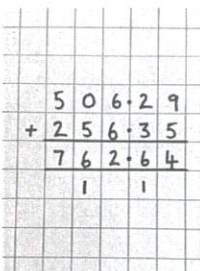
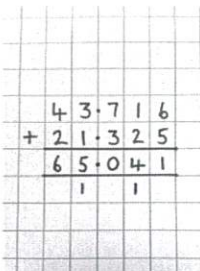
Snaith Primary School Calculation Policy

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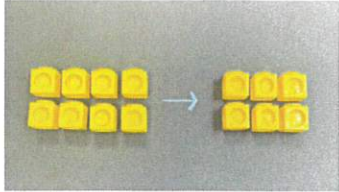
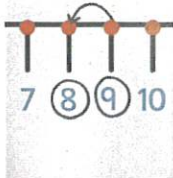
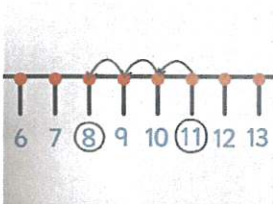
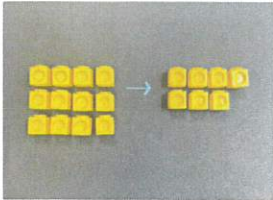
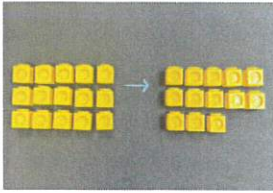
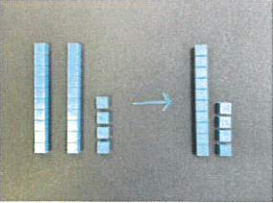
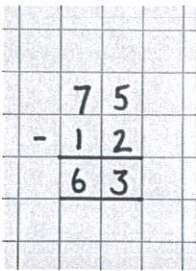


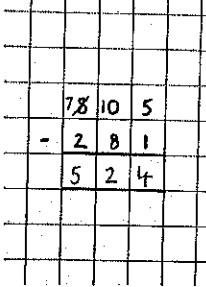
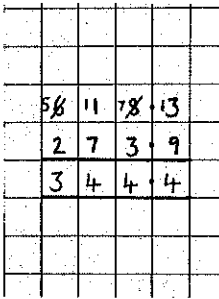
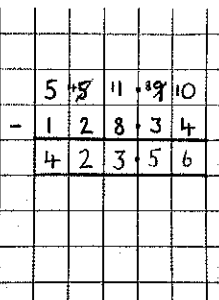
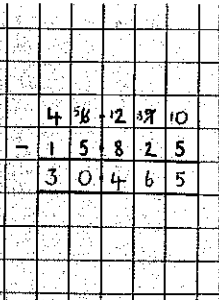
Addition Progression Poster

<p>Reception</p> <p>*Explore composition of numbers to 10.</p>	<p>Methods</p> <p>*Add 1-digit numbers to 1-digit numbers using objects. For example: $4 + 2 = 6$</p>  <p>*Use number lines to count on. For example: $5 + 3 = 8$</p>  <p>*Use the whole part whole method to work out number sentences. For example: $3 + ? = 5$</p> 
<p>Year 1</p> <p>*Add one-digit and two-digit numbers to 20, including zero (using concrete objects and pictorial representations)</p>	<p>Methods</p> <p>*Use a number line to count on. For example: $11 + 5 = 16$.</p>  <p>*Use objects to count on. For example: $6 + 3 = 9$</p> 
<p>Year 2</p> <p>*Add numbers using concrete objects, pictorial representations, and mentally, including:</p> <ul style="list-style-type: none"> - a two-digit number and ones - a two-digit number and tens - two two-digit numbers - adding three one-digit numbers 	<p>Methods</p> <p>*Use objects to count on. For example: $15 + 2 = 17$</p>  <p>*Use base 10 to add tens. For example: $23 + 10 = 33$</p> 


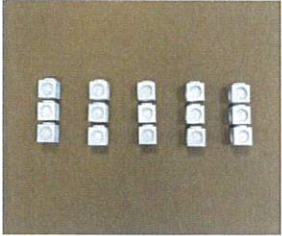
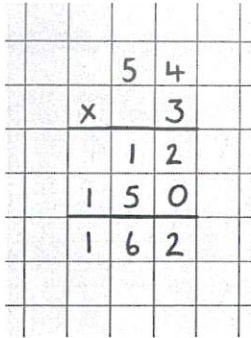
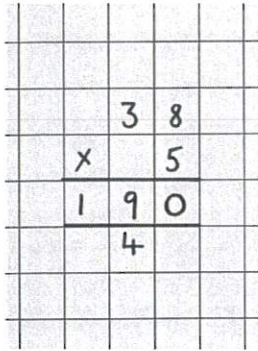
	<p>*Use Numicon to add 3 1-digit numbers. For example: $7 + 6 + 3 = 16$ Teach the children to look for number bonds.</p> <p>Progress to column addition in preparation for KS1 SATS. Based on the example across: $57 + 31 =$ *Focus on place value when setting out the sum. *Add the units first and record underneath in the units column. *Then add the tens and record underneath in the column.</p>	 
<p>Year 3</p> <p>*Add numbers with up to three digits, using a written method that will lead to a formal written method for addition</p>	<p>Method</p> <p>Based on the example across: $469 + 163 =$ *Focus on place value when setting out the sum. *Add the units first, then the tens, then the hundreds. *Record the answer to each underneath in the correct column. *Teach and model carrying. *Record any carried tens/hundreds underneath.</p>	
<p>Year 4</p> <p>*Add numbers with up to 4 digits and decimals with one decimal place using the column written method</p>	<p>Method</p> <p>Based on the example across: $380.7 + 155.7 =$ *Focus on place value when setting out the sum. *Record the decimal point for the answer at the start. *Add the tenths first, then the units, then the tens, then the hundreds. *Record the answer to each underneath in the correct column. *Teach and model carrying. *Record any carried units/tens/hundreds underneath.</p>	
<p>Year 5</p> <p>*Add whole numbers with more than 4 digits and decimals with two decimal places using the column written method</p>	<p>Method</p> <p>Based on the example across: $506.29 + 256.35 =$ *Focus on place value when setting out the sum. *Record the decimal point for the answer at the start. *Add the hundredths first, then the tenths, then the units, then the tens, then the hundreds. *Record the answer to each underneath in the correct column. *Teach and model carrying. *Record any carried tenths/units/tens/hundreds underneath.</p>	
<p>Year 6</p> <p>*Add several numbers with more than 4 digits (including decimals up to three decimal places) using the column written method</p>	<p>Method</p> <p>Based on the example across: $43.716 + 21.325 =$ *Focus on place value when setting out the sum. *Record the decimal point for the answer at the start. *Add the thousandths first, then the hundredths, then the tenths, then the units, then the tens. *Record the answer to each underneath in the correct column.= *Teach and model carrying. *Record any carried hundredths/tenths/units/tens underneath.</p>	

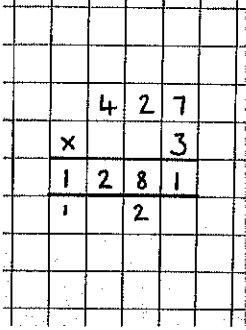
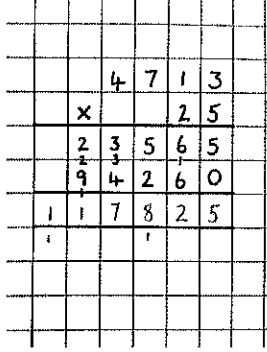
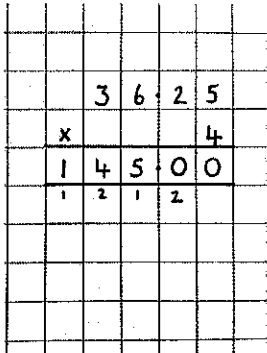
Subtraction Progression Poster

<p>Reception</p> <p>*Explore composition of numbers to 10.</p>	<p>Methods</p> <p>*Subtract 1-digit numbers from 1-digit numbers using objects (e.g. multilink cubes). For example: $8 - 2 = 6$</p>  <p>*Use a number line to count back. For example: $9 - 1 = 8$</p>  <p>*Use practical games to practise subtracting.</p>
<p>Year 1</p> <p>*Subtract one-digit and two-digit numbers to 20, including zero (using concrete objects and pictorial representations)</p>	<p>Methods</p> <p>*Use a number line to count back. For example: $11 - 3 = 8$.</p>  <p>*Use objects to count subtract. For example: $12 - 5 = 7$</p> 
<p>Year 2</p> <p>*Subtract numbers using concrete objects, pictorial representations, and mentally, including: - a two-digit number and ones - a two-digit number and tens - two two-digit numbers</p>	<p>Method</p> <p>*Use objects to subtract ones. For example: $15 - 2 = 13$</p>  <p>*Use base 10 to subtract tens. For example: $24 - 10 = 14$</p>  <p>Progress to column subtraction in preparation for KS1 SATS. Based on the example across: $75 - 12 =$ *Focus on place value when setting out the sum. *Subtract the units first and record underneath in the units column. *Then subtract the tens and record underneath in the column.</p> 

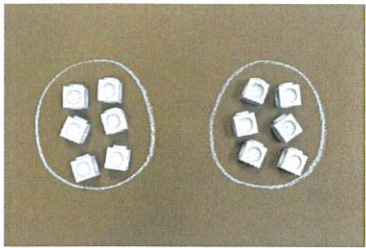
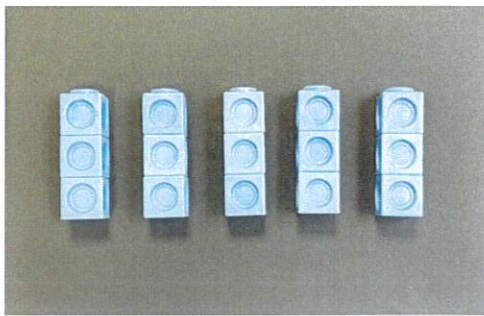
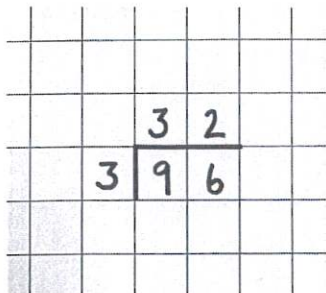
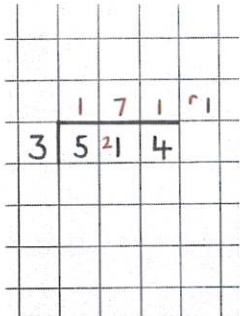
<p>Year 3 * Subtract numbers with up to three digits, using a written method that will lead to a formal written method for subtraction</p>	<p>Method</p> <p>Based on the example across: $805 - 281 =$ *Focus on place value when setting out the sum. *Subtract the units first, then the tens and then the hundreds. *Record the answer to each underneath in the correct column. *Teach and model borrowing. *Record any borrowing to the left of the original digit.</p>	
<p>Year 4 Subtract numbers with up to 4 digits and decimals with one decimal place using the column written method</p>	<p>Method</p> <p>Based on the example across: $618.3 - 273.9 =$ *Focus on place value when setting out the sum – using place holders if needed. *Record the decimal point for the answer at the start. *Subtract the tenths first, then the units, then the tens etc. *Record the answer to each underneath in the correct column. *Teach and model borrowing. *Record any borrowing to the left of the original digit.</p>	
<p>Year 5 Subtract whole numbers with more than 4 digits and decimals with two decimal places using the column written method</p>	<p>Method</p> <p>Based on the example across: $551.9 - 128.34 =$ *Focus on place value when setting out the sum – using place holders if needed. *Record the decimal point for the answer at the start. *Subtract the hundredths first, then the tenths, then the units, etc. *Record the answer to each underneath in the correct column. *Teach and model borrowing. *Record any borrowing to the left of the original digit.</p>	
<p>Year 6 Subtract whole numbers with more than 4 digits and decimals with three decimal places using the column written method</p>	<p>Method</p> <p>Based on the example across: $46.29 - 15.825 =$ *Focus on place value when setting out the sum – using place holders if needed. *Record the decimal point for the answer at the start. *Subtract the thousandths first, then the hundredths, then the tenths, then the units, then the tens, etc. *Record the answer to each underneath in the correct column. *Teach and model borrowing. *Record any borrowing to the left of the original digit.</p>	

Multiplication Progression Poster

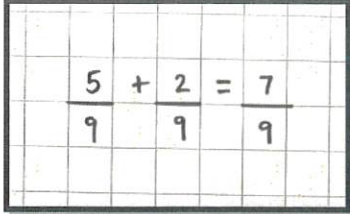
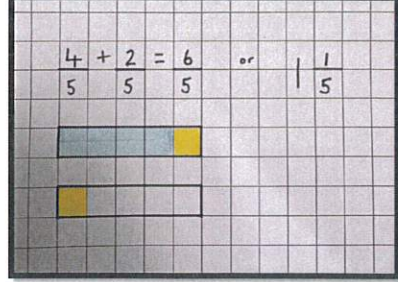
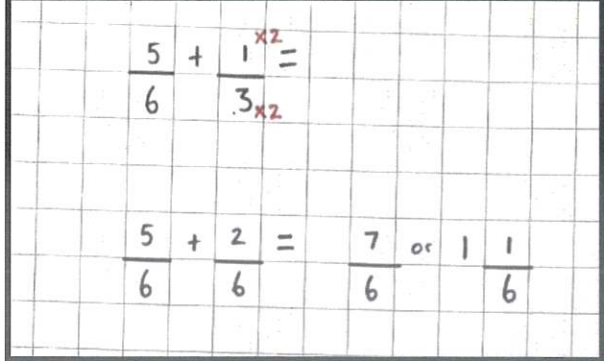
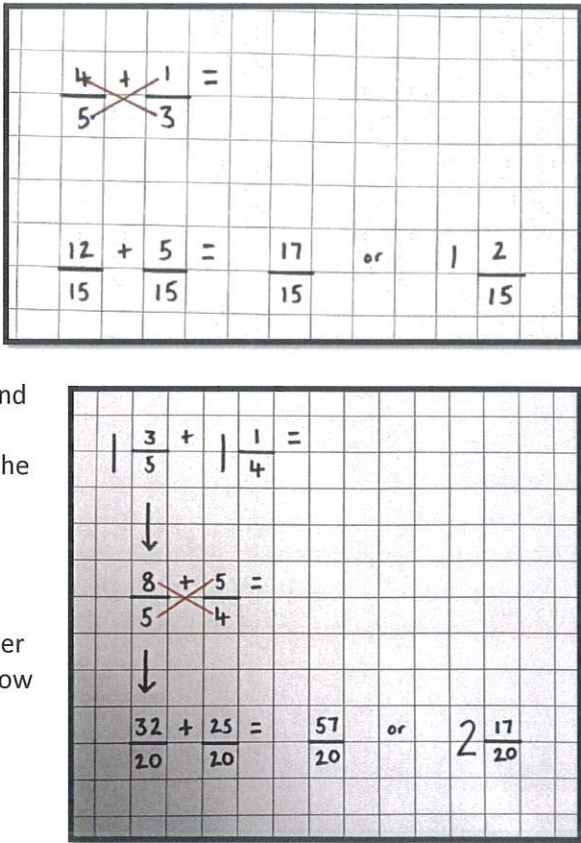
<p>Year 1 Solve one-step problems involving multiplication and division, by calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher</p>	<p>Method</p> <p>Use objects or diagrams to set out the multiplication problem in arrays. Encourage counting in arrays when calculating the answer. For example: $4 \times 2 = 8$</p> 
<p>Year 2 Calculate mathematical statements for multiplication using repeated addition) and division within the multiplication tables and write them using the multiplication (\times), division (\div) and equals (=) signs</p> <p>Solve problems involving multiplication and division (including those with remainders), using materials, arrays, repeated addition, mental methods, and multiplication and division facts, including problems in contexts</p>	<p>Method</p> <p>Use objects or diagrams to set out the multiplication problem in arrays. Encourage counting in arrays when calculating the answer. For example: $5 \times 3 = 15$</p>  <p>Use repeated addition to solve multiplication problems. For example: for 4×3 count up in 3's to find the answer (12).</p> <p>Progress to using known times tables facts to solve problems.</p>
<p>Year 3 Write and calculate mathematical statements for multiplication using the multiplication tables that they know (including for two-digit numbers times one-digit numbers) using mental and written methods which will later progress to formal written methods</p>	<p>Methods</p> <p>Begin by teaching long multiplication: Based on the example across: $54 \times 3 =$ *Focus on place value when setting out the sum. *Multiply the units in the 1 digit number (3) by the units in the 2 digit number (4). Write the answer directly below. *Add a zero on the second line in the units column. *Then multiply the units in the 1 digit number (3) by the tens in the 2 digit number (5). Write the answer to the left of the zero – the answer will naturally become 10 times larger. *To calculate the final answer, add up the two answers using column addition.</p>  <p>Progress to column multiplication: Based on the example across: $38 \times 5 =$ *Focus on place value when setting out the sum. *Multiply the units in the 1 digit number (5) by the units in the 2 digit number (8). *Next multiply the units in the 1 digit number (5) by the tens in the 2 digit number (3). *Teach and model carrying. *Record the carry underneath in the correct column.</p> 

<p>Year 4 Multiply two-digit and three-digit numbers by a one-digit number using a written layout</p>	<p>Method</p> <p>Based on the example across: $427 \times 3 =$</p> <ul style="list-style-type: none"> *Focus on place value when setting out the sum. *Multiply the units in the 1 digit number (3) by the units in the 3 digit number (7). *Next multiply the units in the 1 digit number (3) by the ten in the 3 digit number (2). Finally multiply the units in the 1 digit number (3) by the hundreds in the 3 digit number (4). *Teach and model carrying. *Record the carry underneath in the correct column. 
<p>Year 5 Multiply numbers up to 4 digits by a one- or two-digit number using a written method</p>	<p>Method</p> <p>Based on the example across: $4713 \times 25 =$</p> <ul style="list-style-type: none"> *Focus on place value when setting out the sum. Use the rhyme 'line, miss a line, zero, line' to help remember the layout. *Multiply the units in the 2 digit number (5) by the units in the 4 digit number (3). Then multiply the units in the 2 digit number (5) by the tens in the 4 digit number (1) and so on. *Next record a zero on the second line. This is because you will be multiplying the 4 digit number by a ten (2) next. *Multiply the ten (2) by the units in the 4 digit number (3). Then multiply the ten in the 2 digit number (2) by the tens in the 4 digit number (1) and so on. *To calculate the final answer, add up the two answers using column addition. *Teach and model carrying. *Record the carry underneath in the correct column. 
<p>Year 6 Multiply numbers up to 4 digits by a one- or two-digit number using a written method</p> <p>Multiply one-digit numbers with up to two decimal places by whole numbers</p>	<p>Method</p> <p>Based on the example across: $36.25 \times 4 =$</p> <ul style="list-style-type: none"> *Focus on place value when setting out the sum. *Drop the decimal down into the answer bar before multiplying. *Multiply the units in the 1 digit number (4) by the hundredths in the 4 digit number (5). Then multiply the units in the 1 digit number (4) by the tenths in the 4 digit number (2) and so on. *Imagine the decimal isn't there whilst calculating. *Teach and model carrying. *Record the carry underneath in the correct column. 

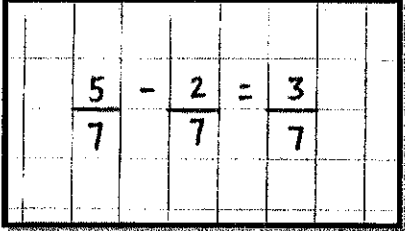
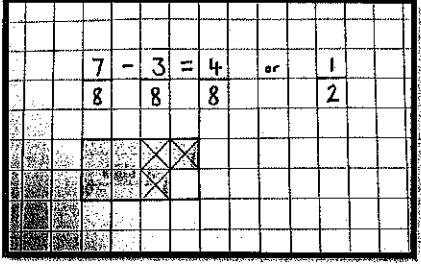
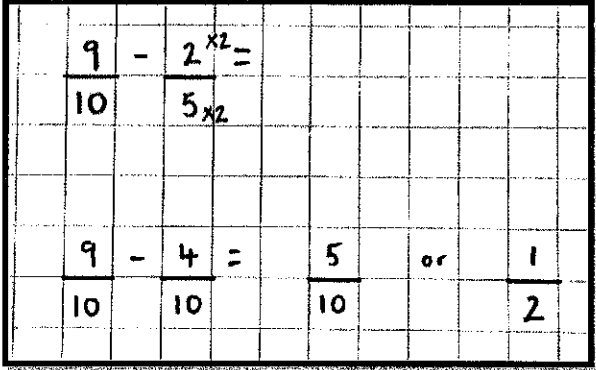
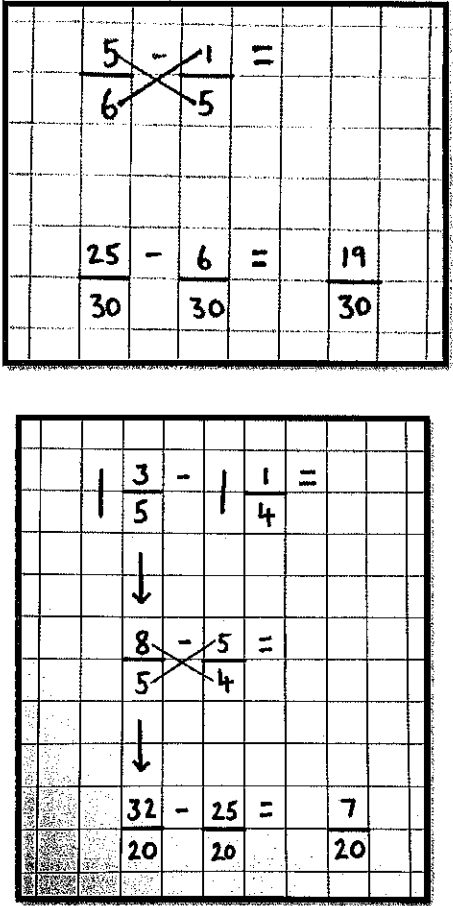
Division Progression Poster

<p>Year 1 Solve one-step problems involving multiplication and division, by calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher</p>	<p>Method</p> <p>Use objects or diagrams to solve division problems.</p> <p>Model sharing. For example, for $12 \div 2 =$, share 12 into 2 equal groups. Count one group to find the answer.</p> 
<p>Year 2 Calculate mathematical statements for multiplication using repeated addition) and division within the multiplication tables and write them using the multiplication (\times), division (\div) and equals (=) signs</p> <p>Solve problems involving multiplication and division (including those with remainders), using materials, arrays, repeated addition, mental methods, and multiplication and division facts, including problems in contexts</p>	<p>Method</p> <p>Use objects or diagrams to solve division problems.</p> <p>Model grouping. For example, for $15 \div 3 =$, group 15 into groups of 3. Count the number of groups to find the answer.</p>  <p>Progress to using known multiplication facts to solve division problems (fact families). For example, for $20 \div 5 =$, we know the answer is 4 because $4 \times 5 = 20$.</p>
<p>Year 3 Write and calculate mathematical statements for = division using the multiplication tables that they know, using mental and written methods which will later progress to formal written methods</p>	<p>Method</p> <p>Continue to use known multiplication facts to solve division problems (fact families). For example, for $21 \div 3 =$, we know the answer is 7 because $7 \times 3 = 21$.</p> <p>Introduce the bus stop method to solve 2 digit divided by 1 digit calculations for known times tables (NO REMAINDERS).</p> <p>For example: $96 \div 3 =$ *Step 1 - how many 3's divide into 9? Record 3 above. *Step 2 - how many 3's divide into 6? Record 2 above.</p> 
<p>Year 4 Divide numbers up to 3 digits by a one-digit number using a written method (partial tables) and interpret remainders appropriately for the context</p>	<p>Method</p> <p>Based on the example: $514 \div 3 =$ *Model how to carry remainders and how to record your final remainder *Step 1 - how many 3's divide into 5? Record 1 above and carry across the remaining 2. *Step 2 - how many 3's divide into 17? Record 5 above. *Step 3 - how many 3's divide into 14? Record 4 above and record the remainder 1.</p> 

Adding Fractions Progression Poster

<p>Year 3 * Add fractions with the same denominator within one whole</p>	<p>Method *Add the numerators together. *Keep the denominator the same.</p>	
<p>Year 4 * Add fractions with the same denominator (using diagrams)</p>	<p>Method *Add the numerators together. *Keep the denominator the same. *Use diagrams to help convert the answer to a mixed number fraction.</p>	
<p>Year 5 * Add fractions with denominators that are the same and that are multiples of the same number</p>	<p>Method *Make the denominators the same by multiplying one fraction. *Use times tables knowledge to make links. *Remember to multiply the numerator by the same amount too.</p>	
<p>Year 6 *Add fractions with different denominators and mixed numbers, using the concept of equivalent fractions</p>	<p>Method *Make both denominators the same. *Multiply the current denominators to find a common multiple – this will be your new denominator (e.g. 5 x 3 = 15). *Draw a cross like shown. *Multiply the two numbers joined by the first line to find first new numerator. *Repeat for the second line to find the second new numerator. *Once organised, add together the new fractions like above. *When adding mixed number fractions, make the mixed number fractions improper first then follow the same steps as above.</p>	

Subtracting Fractions Progression Poster

<p>Year 3 * Subtract fractions with the same denominator within one whole</p>	<p>Method *Subtract the numerators. *Keep the denominator the same.</p>	 $\frac{5}{7} - \frac{2}{7} = \frac{3}{7}$
<p>Year 4 * Subtract fractions with the same denominator (using diagrams)</p>	<p>Method * Subtract the numerators. *Keep the denominator the same. *Use diagrams to help simplify.</p>	 $\frac{7}{8} - \frac{3}{8} = \frac{4}{8} \text{ or } \frac{1}{2}$
<p>Year 5 * Subtract fractions with denominators that are the same and that are multiples of the same number</p>	<p>Method *Make the denominators the same by multiplying one fraction. *Use times tables knowledge to make links. *Remember to multiply the numerator by the same amount too.</p>	 $\frac{9}{10} - \frac{2 \times 2}{5 \times 2} = \frac{9}{10} - \frac{4}{10} = \frac{5}{10} \text{ or } \frac{1}{2}$
<p>Year 6 *Subtract fractions with different denominators and mixed numbers, using the concept of equivalent fractions</p>	<p>Method *Make both denominators the same. *Multiply the current denominators to find a common multiple – this will be your new denominator (e.g. $6 \times 5 = 30$). *Draw a cross like shown. *Multiply the two numbers joined by the first line to find first new numerator. *Repeat for the second line to find the second new numerator. *Once organised, subtract the new fractions. *When subtracting mixed number fractions, make the mixed number fractions improper first then follow the same steps as above.</p>	 $\frac{5}{6} - \frac{1}{5} = \frac{25}{30} - \frac{6}{30} = \frac{19}{30}$ $1 \frac{3}{5} - 1 \frac{1}{4} = \frac{8}{5} - \frac{5}{4} = \frac{32}{20} - \frac{25}{20} = \frac{7}{20}$

Multiplying Fractions Progression Poster

Year 5

* Multiply proper fractions and mixed number fractions by whole numbers

Method

*Multiply the numerator by the whole number.
*If the answer is an improper fraction, make it a mixed number fraction.

$$4 \times \frac{3}{5} = \frac{12}{5}$$

*If multiplying a mixed number fraction, make it an improper fraction first then follow the same steps as above.

$$5 \times 1\frac{1}{4} =$$

$$\downarrow$$

$$5 \times \frac{5}{4} = \frac{25}{4} \text{ or } 6\frac{1}{4}$$

Year 6

* Multiply simple pairs of proper fractions, writing the answer in its simplest form

Method

*Simply, multiply both numerators together to find your new numerator (3 x 2).
*Then, multiply both denominators together to find your new denominator (4 x 3).
*Simplify your answer to its simplest form if possible.

*If multiplying together mixed number fractions, make them both improper fractions first then follow the same steps as above.

$$1\frac{1}{5} \times 1\frac{1}{3} =$$

$$\downarrow$$

$$\frac{6}{5} \times \frac{4}{3} = \frac{24}{15} \text{ or } 1\frac{9}{15}$$

